## P2 Forces Revision Booklet

## Physics Paper 2

| AQA TRILOGY Physics (8464) from 2016 Topics T6.5. Forces |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Topic | Student Checklist | R | A | G |
|  | Identify and describe scalar quantities and vector quantities |  |  |  |
|  | Identify and give examples of forces as contact or non-contact forces |  |  |  |
|  | Describe the interaction between two objects and the force produced on each as a vector |  |  |  |
|  | Describe weight and explain that its magnitude at a point depends on the gravitational field strength |  |  |  |
|  | Calculate weight by recalling and using the equation: [ W = mg ] |  |  |  |
|  | Represent the weight of an object as acting at a single point which is referred to as the object's 'centre of mass' |  |  |  |
|  | Calculate the resultant of two forces that act in a straight line |  |  |  |
|  | HT ONLY: describe examples of the forces acting on an isolated object or system |  |  |  |
|  | HT ONLY: Use free body diagrams to qualitatively describe examples where several forces act on an object and explain how that leads to a single resultant force or no force |  |  |  |
|  | HT ONLY: Use free body diagrams and accurate vector diagrams to scale, to resolve multiple forces and show magnitude and direction of the resultant |  |  |  |
|  | HT ONLY: Use vector diagrams to illustrate resolution of forces, equilibrium situations and determine the resultant of two forces, to include both magnitude and direction |  |  |  |
|  | Describe energy transfers involved when work is done and calculate the work done by recalling and using the equation: [ $W=F s$ ] |  |  |  |
|  | Describe what a joule is and state what the joule is derived from |  |  |  |
|  | Convert between newton-metres and joules. |  |  |  |
|  | Explain why work done against the frictional forces acting on an object causes a rise in the temperature of the object |  |  |  |
|  | Describe examples of the forces involved in stretching, bending or compressing an object |  |  |  |
|  | Explain why, to change the shape of an object (by stretching, bending or compressing), more than one force has to be applied - this is limited to stationary objects only |  |  |  |
|  | Describe the difference between elastic deformation and inelastic deformation caused by stretching forces |  |  |  |
|  | Describe the extension of an elastic object below the limit of proportionality and calculate it by recalling and applying the equation: [ $\boldsymbol{F =} \boldsymbol{k e}$ ] |  |  |  |
|  | Explain why a change in the shape of an object only happens when more than one force is applied |  |  |  |
|  | Describe and interpret data from an investigation to explain possible causes of a linear and non-linear relationship between force and extension |  |  |  |
|  | Calculate work done in stretching (or compressing) a spring (up to the limit of proportionality) by applying, but not recalling, the equation: [ $E_{e}=1 / 2 \boldsymbol{k e}^{2}$ ] |  |  |  |
|  | Required practical 18: investigate the relationship between force and extension for a spring. |  |  |  |




### 6.5.1 Forces and their interactions

## Scalars and Vectors

Materials in a classroom can be grouped into two groups - metals and non-metals.

Things we measure can be put into two groups as well - scalars and vectors.

Scalars: Things that we measure that have a magnitude (size) only are scalars.

Vectors: Things that we measure that have both magnitude and direction are vectors.

Sometimes direction is really important. In a crash the direction, as well as the speed, of the vehicles will determine how much damage is caused.


## Examples of Scalars and Vectors

Some examples of scalars and vectors are shown in the table below.

| Scalars | Vectors |
| :---: | :---: |
| Time | Forces (including weight) |
| Mass | Displacement |
| Temperature | Velocity |
| Speed | Acceleration |
| Direction | Momentum |

## Representing Vectors

## Vectors can be shown by arrows.

The length of the arrow shows the size, or magnitude, of the force.

The direction of the arrow shows the direction of the force.

The vector arrows can be added together to show the resultant of two of more vectors.

## Contact and Non-contact Forces

Forces can be placed into two groups. There are forces that act on contact and there are forces that act at a distance.

| Contact Forces | Non-Contact Forces |
| :---: | :---: |
| Air Resistance | Gravity |
| Friction | Magnetism |
| Tension | Electrical Force |
| Normal Force | Nuclear Force |

## Gravity

Gravity is a non-contact force.
Gravity is the force responsible for the formation of galaxies, stars and planets.

Weight is the force acting on an object due to gravity. The force of gravity close to the Earth is due to the gravitational field around the Earth.

The weight of an object depends on the gravitational field strength at the point where the object is.


## Calculating Weight

The weight of an object can be calculated using the equation:

$$
\begin{aligned}
& \text { Weight }(\mathrm{N})=\text { Mass }(\mathrm{kg}) \times \text { Gravitational field strength }(\mathrm{N} / \mathrm{kg}) \\
& \qquad W=m g
\end{aligned}
$$

It is useful to note that the gravitational field strength, g, on Earth is about $10 \mathrm{~N} / \mathrm{kg}$.
This means that a one kilogram mass would have a weight of 10 N . This can also be found using a calibrated spring balance (a newtonmeter).

The value of the gravitational field strength will depend on where you are. Your weight on top of a mountain will differ slightly from your weight at sea level. On the Moon your weight will be approximately one sixth of your weight on Earth.

Weight and mass are directly proportional.

## Centre of Mass

The weight of an object may be considered to act at a single point referred to as the object's 'centre of mass'.

The centre of mass of an irregularly shaped 2-D object can be found by using a pin, some string and a small mass. By pinning the 2-D object up on a board with the string hanging from the pin (with the small mass on the end) the string will go through the centre of mass - mark with a line. Rotate the object and re-hang on the board. Draw a line to show where the string hangs. Where the lines cross is the centre of mass of the shape.

## Resultant Forces

A number of forces acting on an object may be replaced by a single force that has the same effect as all the original forces acting together. This single force is called the resultant force.

When two forces act in a line the resultant force is the vector addition of the two vectors. Remember the direction is important.
$\xrightarrow{10 \mathrm{~N}}$

## Calculating Resultant Force

## Example 1:

A box is pushed along the floor with a force of 120 N . There is a resistive force of $\mathbf{3 0} \mathrm{N}$. Work out the resultant force on the box.

## Solution:

Resistive forces act in the opposing direction to motion.

Addition of the forces gives:
$120 \mathrm{~N}+\mathbf{- 3 0 N}=90 \mathrm{~N}$ in direction of 120 N force

## Calculating Resultant Force... continued

A single force can be resolved into two components acting at right angles to each other. The two component forces together have the same effect as the single force.


## Example

A pendulum has a weight of
0.5 N .

On a windy day the pendulum is hung outside and the pendulum now hangs at an angle of 45 .

Assuming the wind hits the pendulum moving horizontally, draw a free body diagram to represent the forces acting.

Solution


## EXAM QUESTIONS

## Q1.

A student investigated the frictional force between an object and a surface.
The student used a string to pull a small wooden block across different surfaces. The block was pulled at a constant speed in a straight line.

Pulling the block causes a tension force in the string.
The student kept the angle of the string the same each time.
The diagram below represents the block being pulled across a piece of carpet.

(a) Measure angle $\mathbf{A}$ on the diagram above.

Angle $\mathbf{A}=$ $\qquad$ degrees
(b) Complete the sentences.

Choose answers from the box.

| controlled | dependent | scalar | valid | vector |
| :---: | :---: | :---: | :---: | :---: |

Force has both magnitude and direction, so is a $\qquad$ quantity.

A quantity with magnitude only is a $\qquad$ quantity.
(c) Two forces acting on the block are tension and friction.

Name one other force acting on the block.
$\qquad$
(d) When the student pulled the block with a constant force, the velocity of the block did not change.

What is the best explanation for this?
Tick one box.

Force is directly proportional to velocity


No work is done by the pulling force

The block is moving in a straight line

The resultant force on the block is zero


The student pulled the block along four different surfaces:

- cardboard
- carpet
- glass
- sandpaper.
(e) Give two control variables for this investigation.

1. $\qquad$
2. $\qquad$

The table below shows the results.

| Surface | Force to pull the block in <br> newtons |  |  | Mean force <br> in newtons |
| :--- | :---: | :---: | :---: | :---: |
|  | Trial 1 | Trial 2 | Trial 3 |  |
| cardboard | 1.4 | 1.6 | 1.5 | 1.5 |
| carpet | 2.5 | 3.0 | 3.9 | 3.2 |
| glass | 0.7 | 0.8 | 0.6 | 0.7 |
| sandpaper | 5.2 | 5.6 | 5.4 | $\mathbf{X}$ |

(f) Calculate value $\mathbf{X}$ in the table above.
$\qquad$
$\qquad$
$X=$ $\qquad$ N
(g) Which surface produced the lowest friction force?
$\qquad$

Q2.
The diagram below shows a man doing two stages of a pull up. In both diagrams the man is stationary.


Stage 1


Stage 2
(a) Complete the sentence.

Choose the answers from the box.


In stage 1 the downwards force of the man on the bar is $\qquad$
the upwards force of the bar on the man.
(b) The man has a mass of 85 kg

Gravitational field strength $=9.8 \mathrm{~N} / \mathrm{kg}$
Calculate the weight of the man.
Use the equation:

$$
\text { weight }=\text { mass } \times \text { gravitational field strength }
$$

$\qquad$
$\qquad$
Weight $=$ $\qquad$ N
(c) The man raises his body a vertical distance of 0.63 m to go from stage 1 to stage 2 Calculate the work done by the man.

Use your answer to part (b)
Use the equation:

$$
\text { work done }=\text { force } \times \text { distance }
$$

$\qquad$
$\qquad$
Work done $=$
(d) The man was not moving at stage 2

How much work is done by the man at stage 2 ?
Work done = $\qquad$ J
(e) A woman uses the bar to do a pull up.

The woman has a mass of 62 kg
She accelerates at $11 \mathrm{~m} / \mathrm{s}^{2}$
Calculate the resultant force on the woman.
Use the equation:

$$
\text { force }=\text { mass } \times \text { acceleration }
$$

$\qquad$
$\qquad$
Force $=\ldots \mathrm{N}$

Q3.
Figure 1 shows a rollercoaster train as it is pulled up a slope on the track.
The arrows, $\mathbf{A}, \mathbf{B}, \mathbf{C}$ and $\mathbf{D}$, represent the forces acting on the rollercoaster train.
Figure 1

(a) Give two ways that the force arrows show that forces are vector quantities.

1. $\qquad$
2. $\qquad$
(b) Which arrow shows the weight of the rollercoaster train?

Tick one box.
A

B

C

D

(c) Which arrow shows the normal contact force?

Tick one box.
A

B

C

D $\square$

Figure 2 shows the magnitude of the acceleration of the rollercoaster train during the ride.
Figure 2

(d) Why has a line graph been drawn instead of a bar chart?

Tick one box.

Acceleration is a control variable.

Both variables are continuous.

Line graphs are easier to read.

Time is a categoric variable.

(e) What conclusion can be made from Figure 2 about the motion of the rollercoaster train between 10 and 15 seconds?

Tick one box.

It is moving at a constant velocity.

Its velocity is decreasing.

Its velocity is increasing.

(f) What is the maximum acceleration of the rollercoaster train?

Use Figure 2.
Acceleration $=$ $\qquad$ $\mathrm{m} / \mathrm{s}^{2}$
(g) The maximum safe acceleration for most people is 5 times the acceleration due to gravity.

Acceleration due to gravity $=9.8 \mathrm{~m} / \mathrm{s}^{2}$
Explain whether the acceleration of this rollercoaster train is safe for most people
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
(h) One of the passengers on the rollercoaster train has a mass of 58 kg

Calculate the maximum force experienced by the passenger during the ride.
Use the equation:

$$
\text { force }=\text { mass } \times \text { acceleration }
$$

Give the unit.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
Maximum force $=$ $\qquad$ Unit $\qquad$

Q4.
Figure 1 shows a skydiver training in an indoor wind tunnel.
Large fans below the skydiver blow air upwards.
Figure 1

(a) The skydiver is in a stationary position.

Complete the free body diagram for the skydiver.

(b) The skydiver now straightens his legs to increase his surface area.

This causes the skydiver to accelerate upwards.
Explain why straightening his legs cause the skydiver to accelerate upwards.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
(c) A small aeroplane used for skydiving moves along a runway.

The aeroplane accelerates at $2 \mathrm{~m} / \mathrm{s}^{2}$ from a velocity of $8 \mathrm{~m} / \mathrm{s}$.
After a distance of 209 m it reaches its take-off velocity.
Calculate the take-off velocity of the aeroplane.
$\qquad$
$\qquad$

Take-off velocity $=$ $\qquad$ m/s
(d) A skydiver jumps from an aeroplane.

There is a resultant vertical force of 300 N on the skydiver.
There is a horizontal force from the wind of 60 N .
Draw a vector diagram on Figure 2 to determine the magnitude and direction of the resultant force on the skydiver.

Figure 2


Magnitude of resultant force $=$
6.5.2 Work done and energy transfer

## Work Done

When a force causes an object to move through a distance work is done on the object. So a force does work on an object when the force causes a displacement of the object.

Work done can be calculated using the equation:

$$
\begin{aligned}
& \text { Work done }(\mathrm{J})=\text { Force }(\mathrm{N}) \times \text { Distance }(\mathrm{m}) \\
& \\
& W=F s
\end{aligned}
$$

Note: The distance moved has to be in the direction the force is acting on the object.

## Work Done Calculations

A box is pushed 3 m across the floor with a force of 120 N .
Work out the work done in moving the box.
Solution
Equation: work done $=$ force $\mathbf{x}$ distance
Substitution: work done $=120 \times 3$
Answer: work done = 360 J

## Work Done Calculations

A man with a mass of 70 kg gets onto a moving escalator.
The escalator moves 15 m horizontally and 8 m vertically.
Calculate the work done by the motor against gravity.

Take $\mathrm{g}=10 \mathrm{~N} / \mathrm{kg}$.

## Solution

Gravity acts downwards, so the distance moved against gravity is $\mathbf{8} \mathbf{~ m}$.
Sine $\mathbf{W}=\mathrm{mg}$; the weight of the man is 700 N .

Using:

## Work Done Against Frictional Forces

When work is done against frictional forces on an object there is a temperature increase of the object.

A bicycle pump gets hot in use as work is done in compressing the gas, causing the pump to get hotter.

6.5.2 Work done and energy transfer

## EXAM QUESTIONS

## Q1.

The diagram shows a climber part way up a cliff.

(a) Complete the sentence.

When the climber moves up the cliff, the climber
gains gravitational $\qquad$ energy.
(b) The climber weighs 660 N .
(i) Calculate the work the climber must do against gravity, to climb to the top of the cliff.
$\qquad$
$\qquad$
Work done $=$ $\qquad$ J
(ii) It takes the climber 800 seconds to climb to the top of the cliff.

During this time the energy transferred to the climber equals the work done by the climber.

Calculate the power of the climber during the climb.
$\qquad$
$\qquad$
Power = W

## Q2.

A powerlifter lifts a 180 kg bar from the floor to above his head.

(a) Use the equation in the box to calculate the weight of the bar.

```
weight = mass }\times\mathrm{ gravitational field strength
```

gravitational field strength $=10 \mathrm{~N} / \mathrm{kg}$
Show clearly how you work out your answer.
$\qquad$
$\qquad$
Weight = N
(b) The powerlifter uses a constant force to lift the bar a distance of 2.1 m .

Use the equation in the box to calculate the work done by the powerlifter.

```
work done = force applied }\times\mathrm{ distance moved in direction of force
```

Show clearly how you work out your answer and give the unit.
Choose the unit from the list below.

## joule

newton
watt

Work done $=$
(c) At the end of the lift, the powerlifter holds the bar stationary, above his head, for two
seconds.
How much work does the powerlifter do on the bar during these two seconds?
Draw a ring around your answer.
0
90
360
900

Give a reason for your answer.
$\qquad$
$\qquad$

## Q3.

The diagram shows a worker using a constant force of 60 N to push a crate across the floor.


My Revision Notes AQA GCSE Physics for $\mathrm{A}^{*}$ - C,
Steve Witney, © Philip Allan UK
(a) The crate moves at a constant speed in a straight line
(i) Draw an arrow on the diagram to show the direction of the friction force acting on the moving crate.
(ii) State the size of the friction force acting on the moving crate.
$\qquad$ N

Give the reason for your answer.
$\qquad$
$\qquad$
(b) Calculate the work done by the worker to push the crate 28 metres.

Show clearly how you work out your answer and give the unit.
Choose the unit from the list below.

Work done = $\qquad$
(Total 6 marks)

Q4.
(a) The diagram shows a builder using a plank to help load rubble into a skip.


The builder uses a force of 220 N to push the wheelbarrow up the plank.
Use information from the diagram to calculate the work done to push the wheelbarrow up the plank to the skip.

Show clearly how you work out your answer.
$\qquad$
$\qquad$
Work done $=$ $\qquad$ J
(b) A student investigated how the force needed to pull a brick up a slope, at a steady speed, depends on the angle of the slope.
The apparatus used by the student is shown in the diagram.


The student used the results from the investigation to plot the points for a graph of force used against the angle of the slope.

(i) Draw a line of best fit for these points.
(ii) How does the force used to pull the brick up the slope change as the angle of the slope increases?
$\qquad$
$\qquad$
(iii) Consider the results from this experiment.

Should the student recommend that the builder use a long plank or a short plank to help load the skip?

Draw a ring around your answer.

## long plank short plank

Explain the reason for your answer.
$\qquad$
$\qquad$
$\qquad$
$\qquad$

## Springs

Springs are used in many everyday objects. Springs are found in beds, in motorcycle and bike suspension, weighing scales and trampolines.

Springs can either be used in tension (where the spring is stretched) or compression (where the spring is squashed).

Springs have a store of elastic potential energy when they have changed shape.


Not all springs are cylindrical in shape.

## Uses of Springs

Some common uses of springs, in compression and tension, include:

| Uses of Springs in <br> Compression | Uses of Springs in Tension |
| :---: | :---: |
| Ball Point Pen | Trampolines |
| Beds (mattresses) | Garage Doors |
| Suspension Springs (bikes) | Newtonmeter |
| Electrical Switches | Exercise Equipment (Chest <br> Expander) |

## Elastic and Inelastic Deformation

To stretch a spring at least two forces are required - otherwise the whole spring will move.

When a spring is stretched, the spring may return to it's original shape. In this case the deformation of the spring is said to be elastic.

If the spring is stretched too far then the spring will never return to it's original length. The deformation is said to be inelastic.

## Limit of Proportionality

The extension (the length of a spring minus the original length) of a spring is directly
proportional to the force applied

- provided that the limit of
proportionality is not exceeded.


Extension/m
A graph of force against extension for a spring that has not been stretched beyond the limit of proportionality.

This means that if the force on the spring is doubled then the extension of the spring will be doubled too.


## Permanent Deformation of a Spring

If the force applied to a spring is too great the the spring will be inelastically deformed.

A graph showing force against extension for a spring stretched beyond it's limit of proportionality will no longer be a straight line through 0,0.

The graph opposite shows the force extension graph for a spring stretched beyond it's limit of proportionality.


## Stretching Other Materials

Objects and materials other than metal springs can be stretched.

An elastic band is an example of a material that can be stretched and stores elastic potential energy.

The extension of an elastic band is not directly proportional to the force applied. A graph of extension against length for an elastic band will produce a curve, yet the
 material may still go back to it's original shape.

## Spring Constant

The amount a spring stretches depends on the force applied to the spring and also to the spring constant of the spring.

The spring constant of a spring is measured in newtons per meter ( $\mathrm{N} / \mathrm{m}$ ). The higher the spring constant the greater the force required to produce a given extension, in metres.

The spring constant can be found using the equation:

$$
\begin{aligned}
& \text { Force }(\mathrm{N})=\text { Spring Constant }(\mathrm{N} / \mathrm{m}) \times \text { Extension }(\mathrm{m}) \\
& \qquad F=k e
\end{aligned}
$$

This relationship can be applied to springs in both compression and tension, as long as the limit of proportionality is not exceeded.

## Spring Constant Calculation

## Example:

A trampoline spring has a spring constant of $2200 \mathrm{~N} / \mathrm{m}$.

Work out the extension of the trampoline spring if a weight of 600 N is applied.

## Solution:

Using the equation

$$
F=k e
$$

Substitution gives

$$
600=2200 \times e
$$

## Rearranging

$600 / 2200=e$
Answer:

## Energy Stored in a Spring

To stretch or compress a spring you must do work on it. This means that you have transferred energy to the spring, so the spring now has a store of elastic potential energy. Provided the spring is not inelastically deformed the work done in stretching the spring is equal to the elastic potential energy stored in the spring.

To calculate the amount of energy stored in a spring you need to use the equation:

$$
\begin{aligned}
& \text { Elastic Potential Energy }(J)=0.5 \times \text { spring constant }(\mathrm{N} / \mathrm{m}) \times(\text { extension })^{2}(\mathrm{~m}) \\
& \qquad \mathrm{E}_{\mathrm{e}}=1 / 2 \mathrm{k} \mathrm{e}^{2}
\end{aligned}
$$

## Graphs of Force Against Extension

The gradient of a force against
extension graph gives you the spring
constant of the spring.
Force / N
Gradient $=\mathrm{k}$

The energy stored as elastic potential energy is the area under a force against extension graph.


## Energy Stored in a Spring Calculations

## Example:

A trampoline spring has a spring constant of $1400 \mathrm{~N} / \mathrm{m}$.

The spring has a 50 N load added to the spring.

Work out the amount of elastic potential energy stored in the spring when the 50 N load is added to the spring.

## Solution:

Step 1: Determine the extension of the spring using $\mathrm{F}=\mathbf{k} \mathbf{e}$

Extension = 50 / 1400
Extension $=0.0357 \mathrm{~m}$

Step 2: Calculate the energy stored
in the spring using $\mathrm{E}_{\mathrm{e}}=1 / 2 \mathrm{k} \mathrm{e}^{2}$
$\mathrm{E}_{\mathrm{e}}=1 / 2 \times 1400 \times 0.0357^{2}$
$\mathrm{E}_{\mathrm{e}}=0.9 \mathrm{~J}$
6.5.3 Forces and elasticity

EXAM QUESTIONS

## Q1.

A student investigated the relationship between the force applied to a spring and the extension of the spring.

This is the method used.

1. Hang a spring from a rod.
2. Hang a mass from the spring.
3. Measure the extension of the spring.
4. Repeat steps 2 and 3 using different masses.

Figure 1 shows a spring before and after a mass had been hung from it.
Figure 1

(a) Give two ways in which the appearance of the spring has changed.

1. $\qquad$
$\qquad$
2. $\qquad$
$\qquad$
(b) The extension of the spring is the distance between which two points on the metre rule?

Use letters from the diagram in Figure 1.
$\qquad$ and $\qquad$
(c) The force applied to the spring is the weight of the mass hanging from the spring. Write the equation that links gravitational field strength, mass and weight.
$\qquad$

Figure 2 shows the student's results.
Figure 2

(d) During the investigation the limit of proportionality of the spring was exceeded.

What is the value of force at which this happened?
Give a reason for your choice.
Force $=$ $\qquad$ N

Reason $\qquad$
$\qquad$
(e) Suggest how the student could obtain a more accurate answer for the limit of proportionality of the spring.

You should include the additional readings the student should take.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
(f) Write the equation that links extension, force and the spring constant.
$\qquad$
(g) A different spring has a spring constant of $18 \mathrm{~N} / \mathrm{m}$

When an apple is hung from the spring, the spring extends 6.4 cm

The spring does not go past the limit of proportionality.
Calculate the force exerted by the apple on the spring.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
Force $=$ $\qquad$ N

Q2.
A newtonmeter measures the weight of objects.
Look at Figure 1.
Figure 1

(a) What is the weight of the object in Figure 1?

Weight = $\qquad$ N
(b) The spring inside the newtonmeter behaves elastically.

What happens to the length of the spring when the object is removed from the newtonmeter?

Tick one box.

The spring gets longer $\square$

The spring gets shorter


The spring stays the same length

(c) A student carried out a practical to investigate the extension of a spring.

Write a method the student could have used.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
(d) What could be done to improve the accuracy in this investigation?

Tick two boxes.

Use a pointer from the spring to measure the length.


Use a stronger spring in the practical.


Use a new spring between each reading.


Make sure the spring is stationary before measuring length.


Use a longer rule when measuring length.

(e) The student added weights to a spring and measured the extension of the spring.

Figure 2 shows his results.

Figure 2


What is the relationship between force applied and extension?
Tick one box.

Extension is inversely proportional to force


Extension increases by smaller values as force increases


Extension is directly proportional to force $\square$
(f) Use Figure 2 to determine the additional force needed to increase the extension in the spring from 5.0 cm to 7.0 cm .

Force needed $=$ $\qquad$ N
(g) The table below shows some results with a different spring.

| Force applied in $\mathbf{N}$ | Extension in $\mathbf{m}$ |
| :---: | :---: |
| 0.0 | 0.000 |
| 0.5 | 0.025 |
| 1.0 | 0.050 |
| 1.5 | 0.075 |

What would the extension be with a force of 2.0 N ?

Tick one box.
0.080 m

0.080 m

0.095 m

0.100 m

(h) The spring constant for the spring in above Table is $20 \mathrm{~N} / \mathrm{m}$.

Calculate the work done in stretching the spring until the extension of the spring is 0.050 m

Use the correct equation from the Physics Equation Sheet.
$\qquad$
$\qquad$
Work done $=$ $\qquad$ J
(2)
(Total 13 marks)

Q3.
(a) Figure 1 shows four newtonmeters.

Each newtonmeter contains a spring.
Figure 1


Which newtonmeter has the spring with the greatest spring constant?

Give a reason for your answer.
Newtonmeter $\qquad$
Reason $\qquad$
$\qquad$
(b) The newtonmeter in Figure $\mathbf{2}$ will give an error when used to make a measurement.

Figure 2


Name the type of error.
Describe how this error can be corrected.
Type of error $\qquad$
Correction $\qquad$
$\qquad$
(c) A student hangs a weight on a newtonmeter.

The energy now stored in the spring in the newtonmeter is $4.5 \times 10^{-2} \mathrm{~J}$
The student then increases the weight on the newtonmeter by 2.0 N
Calculate the total extension of the spring.
Spring constant $=400 \mathrm{~N} / \mathrm{m}$

Total extension = $\qquad$ m

### 6.5.4 Forces and Motion

## Definitions

Distance: How far an object has travelled. Distance is a scalar quantity.
Displacement: How far an object has travelled in a straight line from the starting point to the finishing point and the direction of that line. Displacement is a vector quantity.

Examples:

A runner runs around a track. The track is 400 m long.

After completing one complete circuit of the track the runner has travelled a distance of $\mathbf{4 0 0} \mathbf{~ m}$. After the one complete circuit the runner ends up at their starting point. This means that their displacement is $\mathbf{0 ~ m}$.

## Calculations

For an object moving at a constant speed the distance travelled in a specific time can be calculated using the equation:

$$
\begin{aligned}
& \text { Distance travelled }(\mathrm{m})=\text { Speed }(\mathrm{m} / \mathrm{s}) \times \text { time }(\mathrm{s}) \\
& s=v t
\end{aligned}
$$

## Definitions

Speed is the rate of change of distance. This can be found using the equation:

$$
\text { speed }=\frac{\text { distance travelled }}{\text { time taken }}
$$

Speed is a scalar quantity which means that it has magnitude but no direction.

Velocity is the rate of change of distance. Velocity is found using the equation:

$$
\text { velocity }=\frac{\text { displacement }}{\text { time taken }}
$$

Velocity is a vector quantity which means that is has magnitude and direction.

## Speed Calculations

Example 1:
A bike travels $\mathbf{8 0 0} \mathbf{m}$ in $\mathbf{1 6 0}$ seconds. Calculate the speed of the bike.
Solution 1:
Using the equation:

> Speed $=$ distance $/$ time
> Speed $=800 / 160$
> Speed $=5 \mathrm{~m} / \mathrm{s}$

## Example 2:

A car travels a distance of $\mathbf{3 0 0}$ miles at an average speed of 50 mph . Calculate how long it will take to complete the car journey.
Solution 2:

Rearranging the speed equation gives:

> time $=$ distance $/$ speed
> time $=300 / 50=6$ hours

## Velocity Calculations

## Example 1:

A track runner runs around a 400 m athletics track $\mathbf{4}$ times in $\mathbf{3}$ minutes and 10 seconds.

Work out:
a) The speed of the track runner

Speed = distance / time
Speed $=1600 / 190$
Speed $=8.4 \mathrm{~m} / \mathrm{s}$
b) The average velocity of track runner.

As the displacement at the end of the run is 0 m (they end up where they started after four loops of the track) their average velocity is $0 \mathrm{~m} / \mathrm{s}$.

## Typical Speeds

These are the typical speeds of everyday situations that you should know for your exam.

| Situation | Typical Speed $/ \mathrm{m} / \mathrm{s}$ |
| :---: | :---: |
| Walking | 1.5 |
| Running | 3 |
| Cycling | 6 |

The speed of sound in air is $330 \mathrm{~m} / \mathrm{s}$ (though this does changes with temperature and pressure).

Average speed is the speed of an object over the entire journey. The average speed is found by using the total distance travelled divided by the total time taken.

$$
\text { average speed }=\frac{\text { total distance travelled }}{\text { total time taken }}
$$

Instantaneous speed is the speed of an object at a given moment in time. The speedometer in a car gives the instantaneous speed of the car.

## Distance-Time Graphs

Distance-time graphs can be used to represent the motion of an object.

The different gradients (steepness) of line on the graphs show different motions of the object.

The shapes of line that you need to know are shown opposite.


## Calculating Speed from a Distance-Time Graph

From the shapes of distance-time graphs it is possible to compare the speeds of different objects. The steeper the gradient of a line on a distance-time graph the faster the object is travelling.

The gradient of the line on a distance-time graph is the speed of the object.

## Example:

Work out the speed of the objects shown by the red and green line.

Solution:

Red $=$ distance $/$ time $=\mathbf{3 0} / \mathbf{3}=\mathbf{1 0} \mathbf{~ k m} / \mathrm{h}$
Green $=$ distance $/$ time $=40 / 2=20 \mathrm{~km} / \mathrm{h}$


Higher Tier Only
When an object is accelerating the line on a distance-time graph is curved. To find the instantaneous speed of the object at any point along the curve the tangent to the line must first be found - then the gradient of the tangent shows the speed.

To draw the tangent of a curve you should draw a line perpendicular to your curve to start with, then draw a straight line at right-angles to this across your curve - this is your tangent. The longer the line that you draw at this point the easier and more accurate your speed calculation will be.


## Acceleration

When objects accelerate they can be changing speed or changing direction or changing both speed and direction.

Acceleration is the rate of change of velocity, and since velocity is a vector so is acceleration.

The average acceleration of an object is found using the equation:

$$
\begin{aligned}
\text { Acceleration }\left(\mathrm{m} / \mathrm{s}^{2}\right) & =\frac{\text { change in velocity }(\mathrm{m} / \mathrm{s})}{\text { Time taken }(\mathrm{s})} \\
a & =\frac{\Delta v}{t}
\end{aligned}
$$

An acceleration of $3 \mathrm{~m} / \mathrm{s}^{2}$ means that an object is getting $3 \mathrm{~m} / \mathrm{s}$ faster every second.

Equivalent units for acceleration are: $\mathrm{m} / \mathrm{s} / \mathrm{s}$ and $\mathrm{ms}^{-2}$.

## Negative Acceleration

As acceleration is a vector the direction is important.
When a moving object has a negative acceleration it can either be slowing down (often just called decelerating) or it could be increasing speed in the opposite direction.

If a car is moving along a straight motorway at 70 mph and then has a negative acceleration the car will slow down.

On the on the other hand if the positive direction is chosen to be upwards then a ball that is dropped will have a negative acceleration (as it is in the opposite direction) and will continue to speed up (accelerate) in the opposite direction.

## Velocity-Time Graphs

A velocity-time graph gives more information than a distance-time graph. As well as speed, distance travelled and time, a velocity-time graph will give the acceleration of the object.

Although the line shapes look the same as a distance-time graph, as the axes are different the line meanings are different.

Below are the line shapes for velocity-time graphs.


## Velocity-Time Graph Calculations

The following information can be gathered from a velocity time graph:

The velocity: From reading off the axes on the graph.

The acceleration: Found from the gradient of the line on the velocitytime graph.

The distance travelled: The area under the line on a velocity-time graph is the distance travelled.


## Interpreting Velocity-Time Graphs

## Example:

Describe fully the motion shown in the velocity-time graph.

Solution:

From 0 to 10 s : Constant rate of acceleration of $2 \mathrm{~m} / \mathrm{s}^{2}$.
From 10 to 15 s : Constant speed of 20 $\mathrm{m} / \mathrm{s}$.
From 15 to 30 s : Constant rate of deceleration of $1.33 \mathrm{~m} / \mathrm{s}^{2}$.
Distance-travelled is the area under the line $=100 m+100 m+150 m=350 m$


## Terminal Velocity of Falling Objects

When a skydiver jumps out of a plane they may reach terminal velocity.

At terminal velocity the pull of gravity (the skydiver's weight) is equal in size and opposite in direction to the air resistance on the skydiver. As there is no resultant force there is no acceleration and the skydiver will fall at a steady speed.


## Forces acting on a Skydiver

During the course of a skydive the weight of a skydiver will not change. As a result of this the skydiver will have a constant pull downwards caused by the gravitational attraction of the Earth.

Also acting on the skydiver is air resistance, or drag. As the skydiver moves through the air faster the skydiver will experience more drag.

Drag reduces the acceleration the skydiver experiences, from $10 \mathrm{~m} / \mathrm{s}^{2}$ when they have just jumped out of the plane to $0 \mathrm{~m} / \mathrm{s}^{2}$ when they reach terminal speed.

## More Forces acting on a Skydiver



As the skydiver falls faster the amount of drag experienced increases, reducing the skydiver's acceleration, until weight and drag are equal in size. At this point the skydiver will be falling with terminal velocity.

## Uniform Acceleration

The equation for uniform acceleration is:
$(\text { Final velocity })^{2}-$ (Initial velocity $^{2}=2 \times$ Acceleration $\times$ Distance (m/s) (m/s) (m/s ${ }^{2}$ ) (m)

$$
v^{2}-u^{2}=2 a s
$$

This equation is often used when an object is falling under gravity and assumes the acceleration due to gravity to be constant (so ignoring air resistance).

The acceleration of an object due to gravity is taken to be about $9.8 \mathrm{~m} / \mathrm{s}^{2}$. This is often rounded up to $10 \mathrm{~m} / \mathrm{s}^{2}$.

## Uniform Acceleration Calculations

Example:

A stone is dropped off a 30 m high cliff.
The stone falls under gravity ( $\mathrm{g}=9.8 \mathrm{~m} / \mathrm{s}^{2}$ ).
Work out the speed of the stone as it hits the floor.

Solution:

As the stone is dropped the initial speed is $0 \mathrm{~m} / \mathrm{s}$. Using

$$
\begin{gathered}
v^{2}-u^{2}=2 \mathrm{a} \mathrm{~s} \\
v^{2}=2 \mathrm{a} \mathrm{~s}+\mathrm{u}^{2} \\
\mathbf{v}^{2}=2 \times 9.8 \times 30+0^{2} \\
v^{2}=588 \\
v=\sqrt{588}=24.2 \mathrm{~m} / \mathrm{s}
\end{gathered}
$$

### 6.5.4 Forces and Motion

## EXAM QUESTIONS

## Q1.

Speed and velocity are different quantities.
(a) Complete the sentence.

Choose the answers from the box.

| distance | direction | scalar | time | vector |
| :--- | :--- | :--- | :--- | :--- |

Velocity is a $\qquad$ quantity.

The velocity of an object is its speed in a given $\qquad$ .

Figure 1 shows the distance-time graph for an athlete in a running race.
Figure 1

(b) Determine the:

- distance of the race
- time taken for the athlete to complete the race.


## Use Figure 1.

$\qquad$
Distance $=$ $\qquad$ km Time taken $=$ $\qquad$ minutes
(c) What is the motion of the athlete between points $\mathbf{B}$ and $\mathbf{C}$ on Figure 1?

Tick one box.

| Moving at constant speed | $\square$ |
| :--- | :--- |
| Moving with decreasing speed | $\square$ |
| Moving with increasing speed | $\square$ |
| Not moving |  |

(d) Which section on Figure 1 shows the athlete moving at the highest speed?

Tick one box.

(e) How does the section you gave as your answer in part (d) show the highest speed?
$\qquad$
$\qquad$
(f) A cyclist travelled the same distance as the athlete.

The cyclist travelled at a constant speed for 120 minutes.
Complete Figure 2 to show a distance-time graph for the cyclist.
Figure 2


A car following the race accelerates at a constant rate in a straight line.
The velocity of the car increases from $1.9 \mathrm{~m} / \mathrm{s}$ to $3.4 \mathrm{~m} / \mathrm{s}$ in 60 seconds.
(g) Calculate the change in velocity of the car.

Change in velocity $=$ $\qquad$ m/s
(h) Calculate the acceleration of the car.

Use your answer to part (g).
Use the equation:

$$
\text { acceleration }=\frac{\text { change in velocity }}{\text { time taken }}
$$

Give the unit.
$\qquad$
$\qquad$
$\qquad$
Acceleration $=$ $\qquad$ unit $\qquad$
(i) Which graph shows how the velocity of the car changes as the car accelerates? Tick one box.

A
Velocity ${\underset{\text { Time }}{ }}_{\longrightarrow}$

B


C


D
Velocity $\xrightarrow[\text { Time }]{ }$


Q2.
Figure 1 shows an electric wheelchair.
Figure 1

(a) The wheelchair moves at a constant speed of $2.4 \mathrm{~m} / \mathrm{s}$ for 4.5 seconds.

Calculate the distance moved by the wheelchair.
Use the equation:

$$
\text { distance }=\text { speed } \times \text { time }
$$

$\qquad$
$\qquad$
$\qquad$
$\qquad$
Distance $=$ $\qquad$ m
(b) What could be a reason for the speed of the wheelchair decreasing?

Tick one box.

It started going downhill.

It started going uphill.
Its store of kinetic energy increased.
It used more power from its battery.


A student measured how the distance travelled by the wheelchair changed over time.
Figure 2 shows a sketch-graph of the results.
Figure 2

(c) In which section of the graph, A, B, C, or D, did the wheelchair travel fastest?

Give the reason for your answer.
Section $\qquad$
Reason $\qquad$
$\qquad$
(d) The student used a data logger with a distance sensor to record the data.

Give two advantages of using a data logger rather than using a stopclock and tape measure.

1. $\qquad$
$\qquad$
2. $\qquad$
$\qquad$

The velocity of the wheelchair changes as it accelerates to its top speed.
Figure 3 shows a sketch-graph of the changes.
Figure 3

(e) The forward force on the wheelchair is constant as it accelerates on flat ground.

Which force reduces the acceleration?
Tick one box.

| Air resistance | $\square$ |
| :--- | ---: |
| Magnetism | $\square$ |
| Tension | $\square$ |
| Weight | $\square$ |

(f) Explain the acceleration of the wheelchair at point E on Figure 3.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
(g) The wheelchair starts from rest.

It accelerates at a constant rate until it has a speed of $1.5 \mathrm{~m} / \mathrm{s}$
The wheelchair travels a distance of 2.0 m while it is accelerating.
Calculate the acceleration of the wheelchair.
Using the Physics Equations Sheet.
$\qquad$

Acceleration = $\qquad$ $\mathrm{m} / \mathrm{s}^{2}$
(Total 13 marks)

## Q3.

The diagram shows the stages of an extreme sport called 'human catapult'.

- A person lies in a cradle which is held to the ground.
- The cradle is released.
- The person is launched vertically into the air by an elastic rope.
- The person then parachutes back to the ground.

(a) In position $\mathbf{A}$ there is a store of elastic energy.

Position $\mathbf{C}$ is the person's maximum height.
Describe the energy transfers from position $\mathbf{A}$, through position $\mathbf{B}$, to position $\mathbf{C}$.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
(b) In the last few metres of his descent during the parachute stage, the person travels at a terminal velocity.

Explain why.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
(c) When stretched in position A, the elastic rope stores 25000 joules.

The elastic rope behaves like a spring, with a spring constant of $125 \mathrm{~N} / \mathrm{m}$ Calculate the extension of the elastic rope.

Use the Physics Equations Sheet.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
Extension of elastic rope $=$ $\qquad$ m
(d) The vertical velocity of the person at position $\mathbf{B}$ in the diagram is $26 \mathrm{~m} / \mathrm{s}$

The vertical velocity at position $\mathbf{C}$ is $0 \mathrm{~m} / \mathrm{s}$
Calculate the distance between position $\mathbf{B}$ and position $\mathbf{C}$. Ignore the effect of air resistance.

Use the Physics Equations Sheet.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
Distance = m

### 6.5.5 Forces, accelerations and Newton's Law of Motion

## Newton's First Law of Motion

If the resultant force acting on an object is zero and:

- the object is stationary, the object remains stationary
- the object is moving, the object continues to move at the same speed and in the same direction. So the object continues to move at the same velocity.

The velocity of a vehicle will only change if there is a resultant force acting upon it. If the driving and resistive forces are balanced (there is no resultant force) then the vehicle will continue with a steady velocity (speed and direction).

## Inertia - Higher Tier Only

Inertia is a property of matter. It is the resistance of the object to change its motion (speed and/or direction).

Mass is a measure of the amount of inertia an object has. The more inertia (or mass) an object has the harder it is to get that object to change its motion.

To find out which of two objects has the most inertia:

- Apply an equal force to both of them when they are at rest. - The one that has the greatest acceleration has the lowest inertia - it was easier to get it to change its motion.


## Newton's Second Law of motion

The acceleration of an object is proportional to the resultant force acting on the object, and inversely proportional to the mass of the object.

In equation form, Newton's Second Law is written as:

$$
\begin{aligned}
& \text { Force }(\mathrm{N})=\text { Mass }(\mathrm{kg}) \times \text { Acceleration }\left(\mathrm{m} / \mathrm{s}^{2}\right) \\
& \qquad F=m a
\end{aligned}
$$

Inertial mass is the ratio of force divided by acceleration.

## Newton's Third Law of motion

Whenever two objects interact, the forces they exert on each other are equal in size and opposite in direction.

## Examples:

When a car crashes into a crash barrier, the force acting on the car and the force acting on the barrier are equal and opposite.

A pen falling will be pulled down by the Earth, and the Earth will be pulled up by the pen.

### 6.5.5 Forces, accelerations and Newton's Law of Motion

EXAM QUESTIONS

Q1.
Figure 1 shows the horizontal forces acting on a man swimming in the sea.
Figure 1

(a) Describe the movement of the man when the resultant horizontal force is 0 N
$\qquad$
(b) The man increases Force $\mathbf{A}$.

Explain what happens to Force $\mathbf{B}$ and to the movement of the man.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
(c) A boat moves through the sea.

There is a 3000 N force to the west on the boat.
There is a 1000 N force to the south on the boat.
Determine the magnitude and direction of the resultant force on the boat.
Draw a vector diagram of these forces to scale on Figure 2
Figure 2


Magnitude of resultant force $=$ $\qquad$ $N$

Direction of resultant force $=$ $\qquad$ $\circ$
(d) The force to the south on the boat increases.

What effect does this have on the resultant force on the boat?
$\qquad$
$\qquad$
$\qquad$
$\qquad$

Q2.
The figure below shows an ice skater standing on the ice.

(a) Write down the equation that links acceleration, change in velocity and time.
$\qquad$
(b) As the skater pushes away across the ice there is a small frictional force.

After pushing, the skater starts to move with a velocity of $5 \mathrm{~m} / \mathrm{s}$.
He slows to $3 \mathrm{~m} / \mathrm{s}$ in 6 seconds.
Calculate the acceleration of the skater.
$\qquad$
$\qquad$
$\qquad$
Acceleration $=$ $\qquad$ $\mathrm{m} / \mathrm{s}^{2}$
(c) Write down the equation that links acceleration, force and mass.
$\qquad$
(d) Friction reduces the speed of the skater.

Calculate the frictional force acting on the skater to slow him down.
$\qquad$
$\qquad$
$\qquad$
Frictional force $=$ $\qquad$ N
(e) The skater stands still on the ice.

He throws his bag to a friend.
As he throws his bag forwards, the skater moves backwards across the ice.
Use the idea of conservation of momentum to explain why he moves backwards.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
(Total 10 marks)

## Q3.

When two objects interact, they exert forces on each other.
(a) Which statement about the forces is correct?

Tick ( $\sqrt{ }$ ) one box.

|  | Tick ( $\checkmark$ ) |
| :--- | :--- |
| The forces are equal in size and act in the same direction. |  |
| The forces are unequal in size and act in the same direction. |  |
| The forces are equal in size and act in opposite directions. |  |
| The forces are unequal in size and act in opposite directions. |  |

(b) A fisherman pulls a boat towards land.

The forces acting on the boat are shown in Diagram 1.
The fisherman exerts a force of 300 N on the boat.
The sea exerts a resistive force of 250 N on the boat.
Diagram 1

(i) Describe the motion of the boat.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
(ii) When the boat reaches land, the resistive force increases to 300 N .

The fisherman continues to exert a force of 300 N .
Describe the motion of the boat.
Tick ( $\sqrt{ }$ ) one box.
Accelerating to the right


Constant velocity to the right


Stationary

(iii) Explain your answer to part (b)(ii).
$\qquad$
$\qquad$
$\qquad$
$\qquad$
(iv) Another fisherman comes to help pull the boat. Each fisherman pulls with a force of 300 N , as shown in Diagram 2.

Diagram 2 is drawn to scale.
Add to Diagram 2 to show the single force that has the same effect as the two 300 N forces.

Determine the value of this resultant force.

## Diagram 2



Resultant force $=$ N

### 6.5.6 Forces and breaking

## Definitions



Thinking Distance: Thinking distance is the distance that you travel while reacting to a stimulus until you get your foot onto the brake pedal. Thinking distance depends on reaction time, but these are not the same thing.

Braking Distance: Braking distance is the distance you travel from pressing the brake pedal until you come to a stop.

Stopping Distance: Stopping distance is the sum of thinking distance and braking distance, usually shown as:

Stopping distance $=$ Thinking distance + Braking distance

## How Speed Affects Stopping Distance

Increasing the speed of a vehicle will increase its stopping distance.
The highway code shows the stopping distances for cars at various speeds...


## Speed and Thinking Distance

From the highway code it is possible to see patterns in the data.

When you double your speed your thinking distance will also double. This is shown by the thinking distance being 9 m at 30 mph and 18 m at 60 mph . The reason this happens is because your reaction time does not change but you will now travel further while you react:

If you take 0.5 seconds to react then at a speed of $10 \mathrm{~m} / \mathrm{s}$ you would travel 5 m while reacting to a stimulus. If the speed doubled to $20 \mathrm{~m} / \mathrm{s}$ then you would now travel 10 m while reacting to the stimulus - the thinking distance has doubled when the speed has doubled.

## Speed and Braking Distance

Doubling your speed will more than double your braking distance. In fact doubling the speed of a vehicle will cause the braking distance to quadruple.

At 30 mph the braking distance is 14 m and at $\mathbf{6 0 \mathrm { mph }}$ the braking distance is 55 m (according to the highway code) which is approximately four times greater: The difference of 1 m is accounted for by rounding.

When the speed of a vehicle doubles the kinetic energy of the vehicle is four times greater. This happens because kinetic energy is found using the equation:

$$
\text { kinetic energy }=1 / 2 \times \text { mass } x \text { (velocity })^{2}
$$

As there is four times the kinetic energy it takes four times longer to stop at a given braking force.

## Reaction Time

A typical person's reaction time varies from 0.2 to 0.9 seconds.

There are a number of factors that will affect your reaction time, and in turn thinking distance.

These factors include:

| Factor | Affect on Reaction Time |
| :---: | :---: |
| Alcohol | Increases |
| Caffeine | Decreases |
| Tiredness | Increases |
| Distractions | Increases |

Drugs can either increase or decrease reaction times as some drugs are stimulants and some are depressants.

## Measuring Reaction Time

A person's reaction time is very short. Trying to measure this reaction time is going to be difficult but there are ways of measuring it.

1. There are online tests that display a stimulus and measures the time taken to respond to the stimulus - often by clicking a mouse button.
2. Ruler drop. This is where a ruler is dropped through your hand. As soon as you see the ruler move you close your hand. The distance that the ruler moves through your hand corresponds to a given reaction time - these can be found online at:
http://www.topendsports.com/testing/tests/reaction-stick.htm

## Factors Affecting Braking Distance

There are a number of factors that affect the braking distance of a vehicle. Some of these are shown in the table below:

| Factor Affecting <br> Braking Distance | How this factor affects braking |
| :---: | :---: |
| distance |  |$|$| Speed | Increasing speed increases braking distance |
| :---: | :---: |
| Weight of Vehicle | Increasing weight of vehicle increases braking <br> distance |
| Icy Roads | Braking distance increases due to reduced <br> friction between tyre and road |
| Wet Roads | Braking distance increases due to reduced <br> friction between tyre and road |
| Poor Brake Condition | Braking distance increases |
| Bald Tyres | Braking distance increases when wet. |

## Braking Force

When a force is applied to the brakes of a vehicle, work done by the frictional forces between the brake pads and the brake disc reduces the kinetic energy of the vehicle and the temperature of the brakes increases.

The greater the speed of a vehicle the greater the braking force needed to stop the vehicle in a certain distance.

The greater the braking force the greater the deceleration of the vehicle. Large decelerations may lead to brakes overheating and/or loss of control.

### 6.5.6 Forces and breaking

## EXAM QUESTIONS

## Q1.

The image below shows a lorry.

(a) The brakes of the lorry are in a poor condition.

What effect will the condition of the brakes have on thinking distance and the braking distance of the lorry?

Thinking distance $\qquad$
$\qquad$
Braking distance $\qquad$
$\qquad$
(b) Using a hand-held mobile phone while driving is illegal in the United Kingdom.

The table below shows the effect of using a mobile phone on thinking distance.

|  | Thinking distance |
| :--- | :---: |
| Not using a mobile phone | 19 m |
| Using a mobile phone with hands-free kit | 23 m |
| Using a hand-held mobile phone | 27 m |

Explain why driving while using a hand-held mobile phone is more dangerous than using a mobile phone with a hands-free kit.

Use data from the table above.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$

## Q2.

The stopping distance of a car depends on the thinking distance and the braking distance.
(a) Thinking distance depends on the driver's reaction time.

Give two factors that can affect reaction time.

1. $\qquad$
2. $\qquad$
(b) Give one factor that can affect the braking distance.
$\qquad$
$\qquad$
(c) The thinking distance is the distance travelled during the driver's reaction time.

A car was travelling at $13 \mathrm{~m} / \mathrm{s}$
The driver's reaction time was 0.6 s

Calculate the thinking distance.
Use the equation:
distance travelled $=$ speed $\times$ time
$\qquad$
$\qquad$
$\qquad$
$\qquad$ m
(d) The braking distance of the car was 14.0 m

What was the stopping distance of the car?
$\qquad$ m
(e) What is the link between speed and braking distance?

Complete the sentence.

The greater the speed, the
$\qquad$
(f) If a large braking force is applied, the car decelerates and stops in a very short distance.

Give two disadvantages of applying a large braking force.

1. $\qquad$
$\qquad$
2. $\qquad$
$\qquad$

Q3.
A number of different forces act on a moving vehicle.
(a) A car moving at a steady speed has a driving force of 3000 N .
(i) What is the value of the resistive force acting on the car?

Tick ( $\checkmark$ ) one box.

|  | Tick ( $\checkmark$ ) |
| :--- | :--- |
| 2000 N |  |
| 3000 N |  |
| 4000 N |  |

(ii) What causes most of the resistive force?

Tick ( $\checkmark$ ) one box.

|  | Tick ( $\checkmark$ ) |
| :--- | :--- |
| Air resistance |  |
| Faulty brakes |  |
| Poor condition of <br> tyres |  |

(b) A car is moving along a road. The driver sees an obstacle in the road at time $t=0$ and applies the brakes until the car stops.

The graph shows how the velocity of the car changes with time.

(i) Which feature of the graph represents the negative acceleration of the car?

Tick ( $\checkmark$ ) one box.

|  | Tick $(\checkmark)$ |
| :--- | :--- |
| The area under the graph |  |
| The gradient of the sloping <br> line |  |
| The intercept on the $y$-axis |  |

(ii) Which feature of the graph represents the distance travelled by the
car?
Tick ( $\checkmark$ ) one box.

|  | Tick $(\checkmark)$ |
| :--- | :--- |
| The area under the graph |  |
| The gradient of the sloping <br> line |  |
| The intercept on the y-axis |  |

(iii) On a different journey, the car is moving at a greater steady speed.

The driver sees an obstacle in the road at time $t=0$ and applies the brakes until the car stops.

The driver's reaction time and the braking distance are the same as shown the graph above.

On the graph above draw another graph to show the motion of the car.
(c) In this question you will be assessed on using good English, organising information clearly and using specialist terms where appropriate.

Thinking distance and braking distance affect stopping distance.
Explain how the factors that affect thinking distance and braking distance affect stopping distance.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
6.5.7 Momentum (HT)

## Momentum

Momentum is a vector quantity.

The momentum of an object only depends on it's mass and it's velocity.

The equation linking momentum, mass and velocity is:

$$
\begin{gathered}
\text { Momentum }(\mathrm{kg} \mathrm{~m} / \mathrm{s})=\text { Mass }(\mathrm{kg}) \times \text { Velocity }(\mathrm{m} / \mathrm{s}) \\
p=m v
\end{gathered}
$$

From this equation we can see that if an object is not moving (it has a velocity of $0 \mathrm{~m} / \mathrm{s}$ ) then it has no momentum.

Momentum is a conserved quantity. The momentum of a system remains the same before and after an event.
e.g. In a car crash the momentum of the vehicles before the crash equals the momentum of the vehicles after the crash.

In an explosion the momentum of the system is also conserved. This may seem strange as everything is stationary to begin with, but after the explosion parts are moving to the left and right and these cancel - since velocity is a vector and depends on direction.

An example of an explosive event is two ice skaters pushing themselves apart, where the momentum of each ice skater is equal in size and opposite in direction to the other. This then adds to be $0 \mathrm{kgm} / \mathrm{s}$, which is what it was at the start.


### 6.5.7 Momentum (HT)

## EXAM QUESTIONS

## Q1.

Figure 1 shows a man using a resistance band when exercising.
The resistance band behaves elastically.
Figure 1

(a) What happens to the store of elastic potential energy of the resistance band when the band is stretched?
(b) Explain what happens to the resistance band as it is released.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
(c) Figure 2 shows how the extension of the resistance band changes as the force applied changes.

Figure 2


Describe the trend shown in the graph.
$\qquad$
$\qquad$
$\qquad$
$\qquad$

Figure 3 shows a chest expander.
Figure 3

(d) Sketch a graph on Figure 4 to show how the extension of a spring in the chest expander changes as the force applied changes.

Figure 4


When a force is applied to a spring, the spring extends by 7.5 cm
(e) Write down the equation that links extension, force and spring constant.
(f) Calculate the force applied to the spring.

The spring has a spring constant of $1600 \mathrm{~N} / \mathrm{m}$
Use your equation from part (e)

## Q2.

The diagram below shows an ice skater, Skater A.

(a) Write down the equation that links mass, momentum and velocity.
(b) Skater $\mathbf{A}$ travels with a velocity of $3.2 \mathrm{~m} / \mathrm{s}$ and has a momentum of 200 kg $\mathrm{m} / \mathrm{s}$

Calculate the mass of Skater A.
$\qquad$
(3)
(c) Skater $\mathbf{A}$ bumps into another skater, Skater B. Skater B is stationary.

The skaters move off together in a straight line.
Explain what happens to the velocity of each of the skaters.
Use the idea of conservation of momentum.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$

## Q3.

A paintball gun is used to fire a small ball of paint, called a paintball, at a target.
The figure below shows someone just about to fire a paintball gun.
The paintball is inside the gun.

(a) What is the momentum of the paintball before the gun is fired?

Give a reason for your answer.
$\qquad$
$\qquad$
(b) The gun fires the paintball forwards at a velocity of $90 \mathrm{~m} / \mathrm{s}$.

The paintball has a mass of 0.0030 kg .
Calculate the momentum of the paintball just after the gun is fired.
$\qquad$
$\qquad$
$\qquad$
Momentum = $\qquad$ $\mathrm{kg} \mathrm{m} / \mathrm{s}$
(c) The momentum of the gun and paintball is conserved.

Use the correct answer from the box to complete the sentence.

| equal to | greater than | less than |
| :---: | :--- | :--- |

The total momentum of the gun and paintball just after the gun is fired will be $\qquad$ the total momentum of the gun and paintball before the gun is fired.
(1)
(Total 5 marks)

